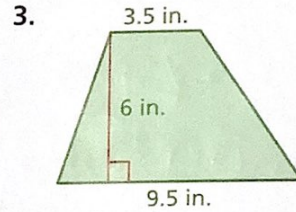
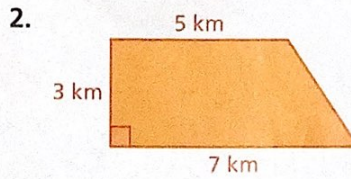
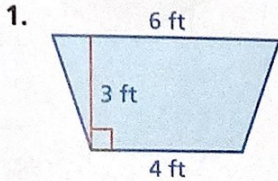


8.3

Practice WITH CalcChat® AND CalcView®

Review & Refresh

Find the area of the trapezoid.



4. Find the percent of change from 24 to 18.

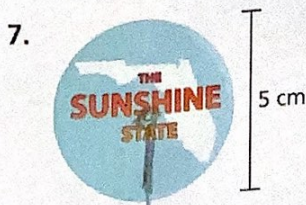
Concepts, Skills, & Problem Solving

EXPLORING DIAMETER AND CIRCUMFERENCE Estimate the circumference of the circular base of the object. (See Exploration 2.)

5. tube of lip balm with radius 0.5 mm

6. D battery with radius 0.65 in.

FINDING A RADIUS Find the radius of the button. (See Example 1.)



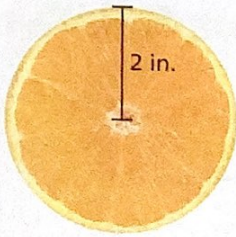
radius is half the diameter

$5 \div 2$
 $r = 2.5 \text{ cm}$



FINDING A DIAMETER Find the diameter of the object.

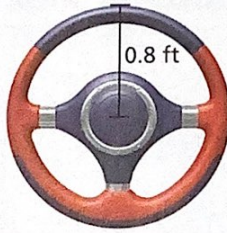
10.



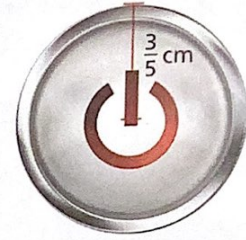
$$2 \cdot 2 = 4$$

diameter \rightarrow multiply
radius $\cdot 2$

11.



12.

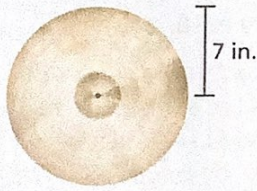


FINDING A CIRCUMFERENCE Find the circumference of the object. (See Example 2.)

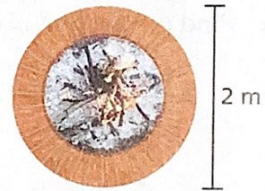
▶ 13.



14.



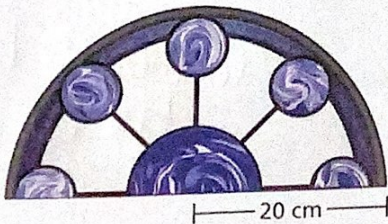
15.



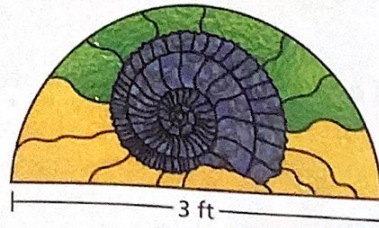
FINDING THE PERIMETER OF A SEMICIRCULAR REGION Find the perimeter of the window.

(See Example 3.)

16.



▶ 17.



ESTIMATING A RADIUS Estimate the radius of the object.

18.



$C = 122 \text{ in.}$

$C = 2\pi r$
 $122 = 2 \cdot 3.14 \cdot r$
 $6.28 = r$
 $r = 19.43$

19.



$C = 8.9 \text{ mm}$

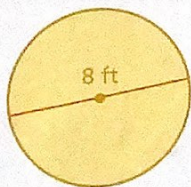
7
MTR

20. MODELING REAL LIFE A circular sinkhole has a circumference of 75.36 meters. A week later, it has a circumference of 150.42 meters. (See Example 4.)

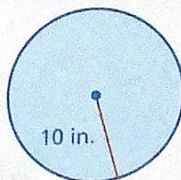
- Estimate the diameter of the sinkhole each week.
- How many times greater is the diameter of the sinkhole a week later?

21. REASONING Consider the circles *A*, *B*, *C*, and *D*.

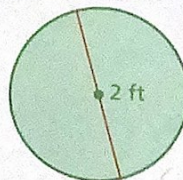
A.



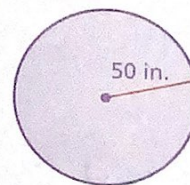
B.



C.

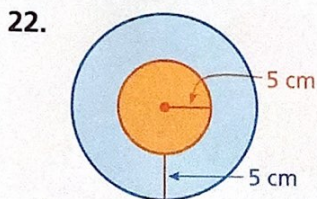


D.

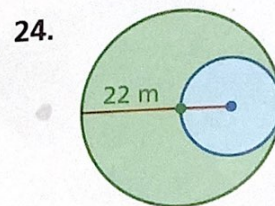
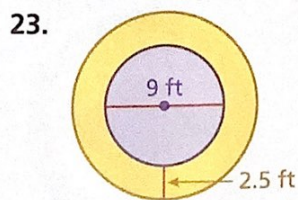


- Without calculating, which circle has the greatest circumference? Explain.
- Without calculating, which circle has the least circumference? Explain.

FINDING CIRCUMFERENCES Find the circumferences of both circles.



orange $r = 5$
 $2\pi r = 31.4 \text{ cm}$
 blue $r = 10$
 $2 \cdot 3.14 \cdot 10 = 62.8 \text{ cm}$



7
MTR

25. **MODELING REAL LIFE** A satellite is in an approximately circular orbit 36,000 kilometers from Earth's surface. The radius of Earth is about 6400 kilometers. What is the circumference of the satellite's orbit?

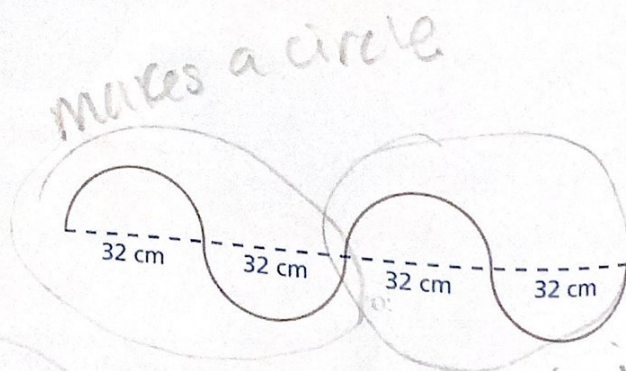


5
MTR

26. **STRUCTURE** The ratio of circumference to diameter is the same for every circle. Is the ratio of circumference to radius the same for every circle? Explain.

27. **PROBLEM SOLVING** A wire is bent to form four semicircles. How long is the wire? Justify your answer.

$C = \pi d$ $d = 32$
 $100.48 \cdot 2 = 200.96 \text{ cm}$



this is a circle